

# LhARA Capture Meeting

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29<sup>th</sup> July 2021

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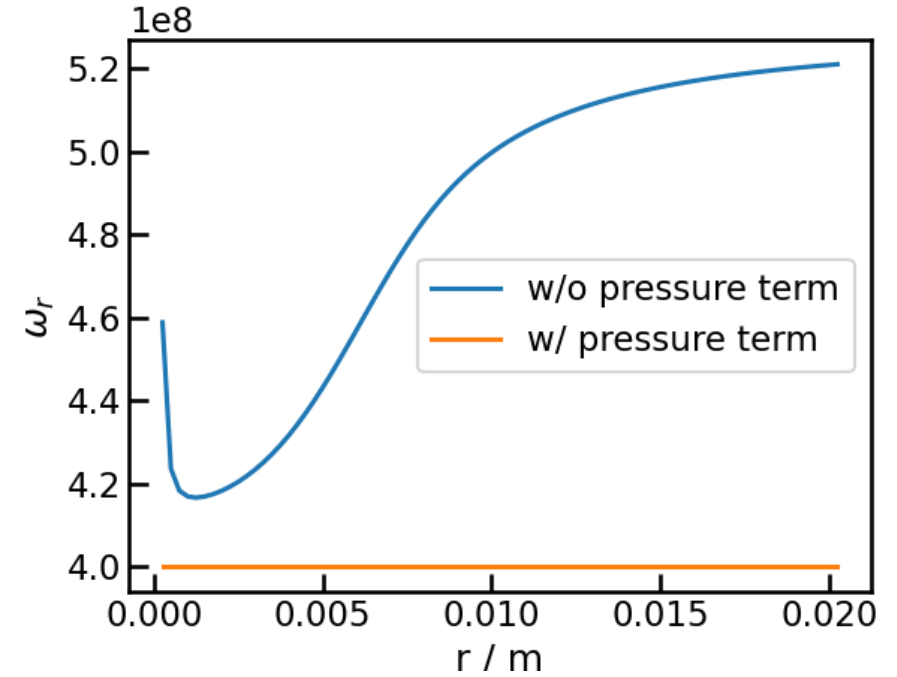
# Diocotron motion

# Electron plasma initial distribution

- From last week..

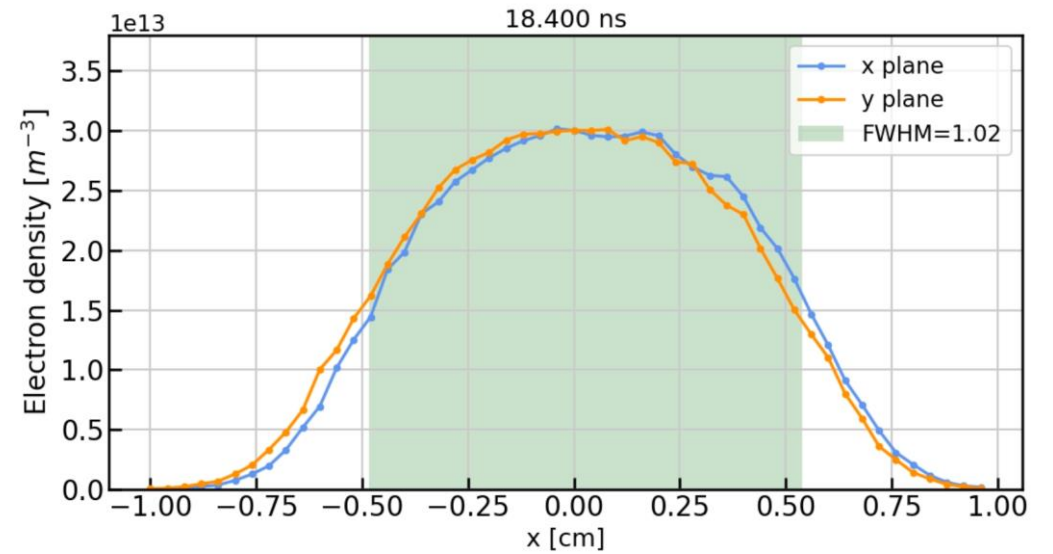
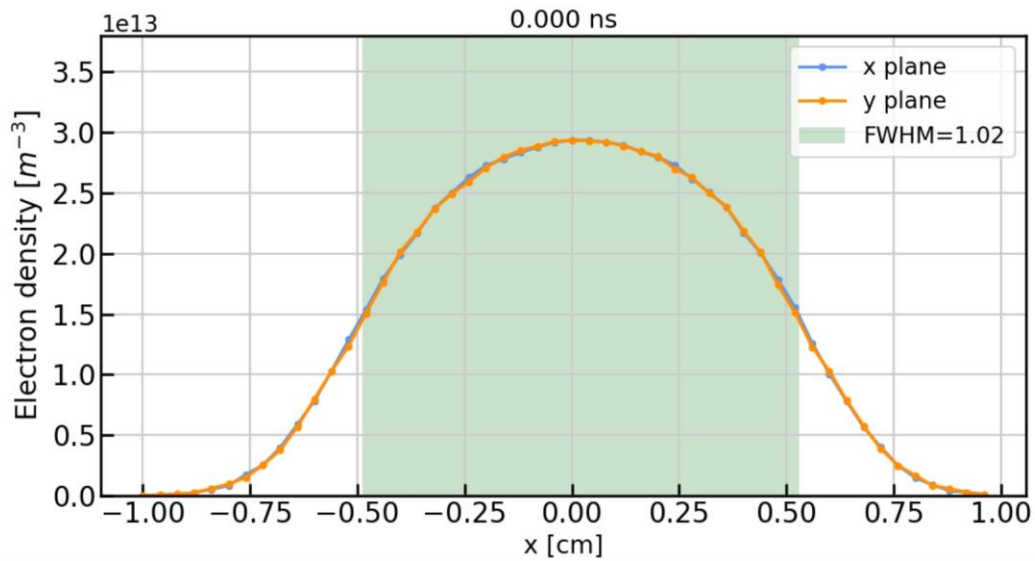
$$\omega_r = \frac{E_r}{Br} - \frac{k_B T}{qBrn} \frac{\partial n}{\partial r} + \frac{\omega_r^2}{\Omega_c}$$

thermal pressure term



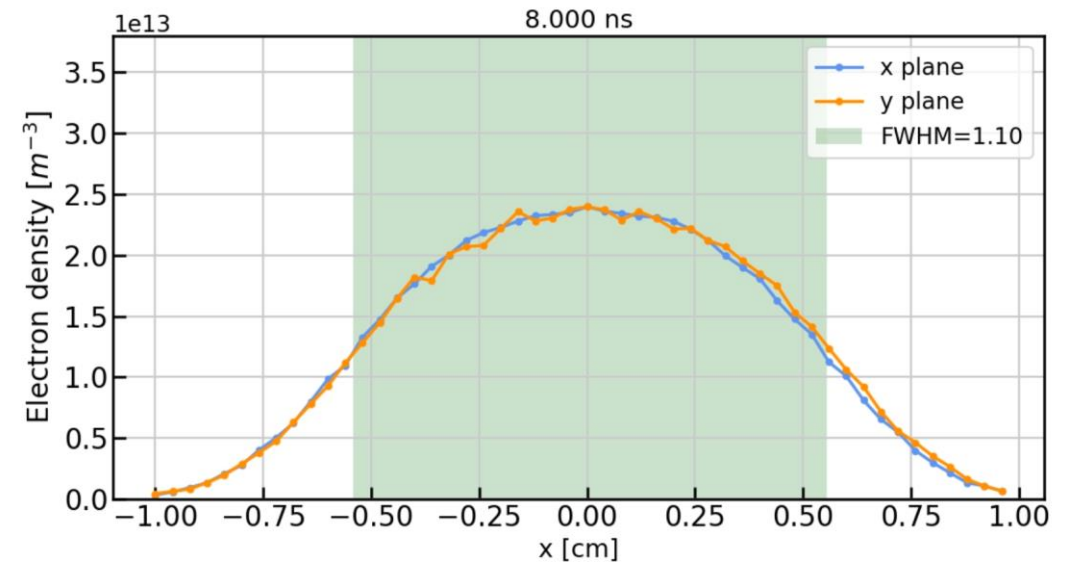
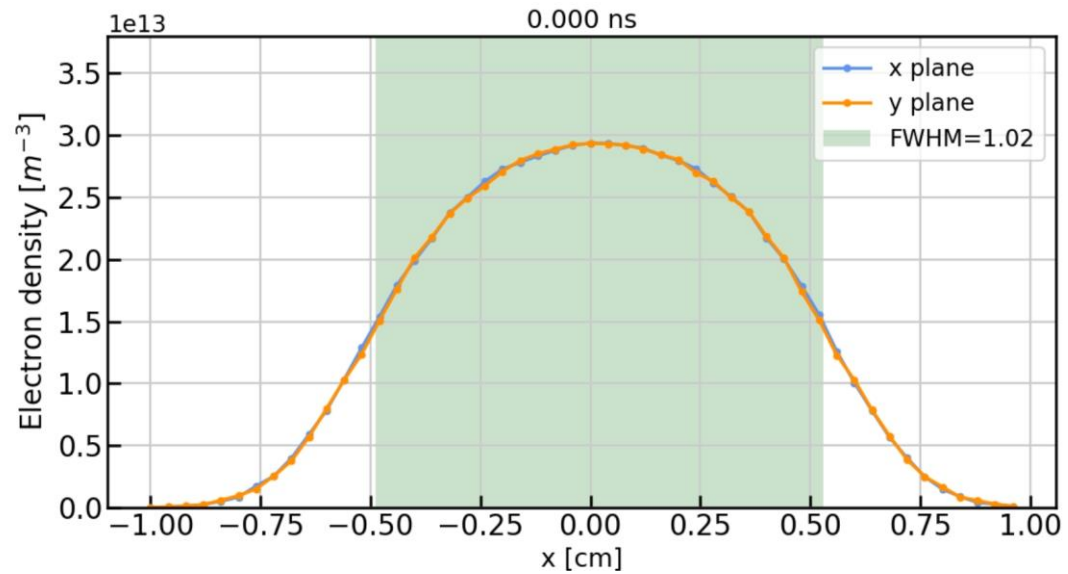
# Electron plasma initial evolution

- Local  $\omega_r$  initialised according to no pressure model
- Plasma temperature set to  $T = 0$  eV in the rotating frame



# Electron plasma initial evolution

- Local  $\omega_r$  initialised according to no pressure model
- Plasma temperature set to  $T = 1$  eV in the rotating frame



# Plasma initialisation scheme

## Assumptions

- The diocotron frequency is mostly determined by **spatial profile** of the plasma column
- The profile of the electron cloud does not change significantly from the equilibrium distribution in either
  - Offsetting the plasma from the axis
  - Beam capture

# Plasma initialisation scheme

$T_e \sim 0.1 \text{ eV} - 1.0 \text{ eV}$  (close to values from experiment)



Calculate the 2D (r,z) plasma profile by solving full Poisson equation for electron plasma in thermal equilibrium at  $T_e$



Load the axisymmetric 2D profile into VSim

- set local  $\omega_r$  according to the equilibrium equation in the absence of pressure ( $T = 0 \text{ eV}$ ) to avoid radial expansion of plasma and drop in density
- in the z-direction sample velocities from Gaussian with temperature  $T_e$



Set the grid size as a fraction of the Debye length  $\lambda_D(T_e)$



Couple of checks throughout the simulation

- check velocity distribution to make sure macroparticles satisfy CFL condition
- calculate local  $T$  and  $\lambda_D$  in each cell and compare latter to max. grid dimension

$\omega_r$  set to generate a **radial profile** close to experiment (plasma uniform up to radius  $\approx 1 \text{ mm}$ )



# Diocotron simulation – Parameter Set 1

Main constraints:

$$f_{\infty} = \frac{cNe}{\pi BR_w^2} \longrightarrow \text{required total simulation time}$$

$$\lambda_D = \sqrt{\left(\frac{\epsilon_0 k_B T}{n_0 e^2}\right)} \longrightarrow \text{grid spacing}$$

$$\omega_r, T \longrightarrow \text{time step (from CFL condition)}$$

Parameter	Value
$n_e$ [m <sup>-3</sup> ]	$1 \times 10^{15}$
$B$ [T]	0.03
$V_{gate}$ [V]	100
$r_p$ [mm]	1.5
$L_p$ [cm]	$\approx 2$
$d$ [cm]	1
$T$ [eV]	$\sim 1$
Estimated $T_{dioc}$ [ $\mu$ s]	$\approx 3$