

# Nuclear diagnostics and Magnetic Resonance Imaging

## Week 6; Lecture 13; More MRI artefacts

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# Contents

## 1 MRI artefacts: periodic motion

- Periodic motion
- Summary of section 1

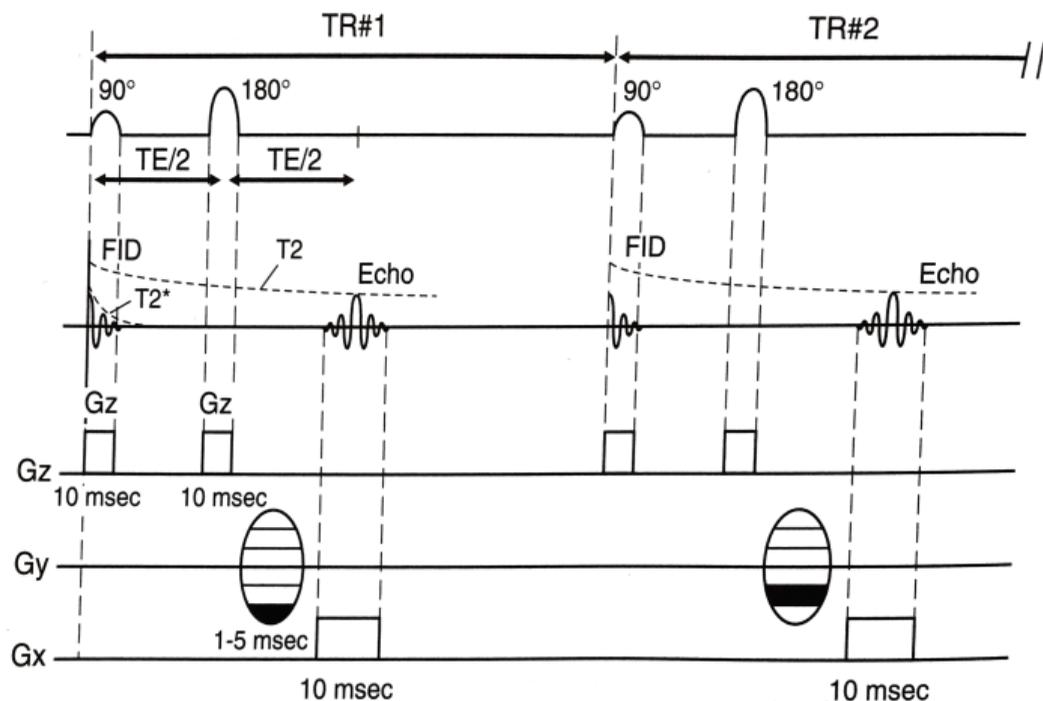
## 2 MRI artefacts: chemical shift

- Chemical shift
- Summary of section 2

## Section 1

# MRI artefacts: periodic motion

# Spatial encoding, reprise



Signal,  $S$ :  $S = S(G_x, t, G_y, T_{pe})$

Frequency encoding in  $x$  direction:

$$\phi(G_x, x, t) = (\gamma G_x x) t$$

Phase encoding in  $y$  direction:

$$\Phi(G_y, y, T_{pe}) = (\gamma G_y y) T_{pe}$$

Transformation to  $k$  space:

$$k_x = \frac{\gamma}{2\pi} G_x t$$

$$k_y = \frac{\gamma}{2\pi} G_y T_{pe}$$

$$S(G_y, T_{pe}, G_x, t) = S(k_x, k_y) = \int_{y_{\min}}^{y_{\max}} \int_{x_{\min}}^{x_{\max}} \rho(x, y) \exp[-i(\gamma G_x t) x] \exp[-i(\gamma G_y T_{pe}) y] dx dy$$

## Periodic motion; overview

Organs that undergo periodic motion include the heart, aorta, . . .

Frequency encoding takes place over a period of  $\sim 10$  ms when the  $G_x$  pulse is on. This corresponds to a frequency of 100 Hz; i.e. 100 cycles *per second*. Such rapid oscillations are not present in the body. Oscillations at the frequency of the heart beat, for example, lead to only small excursions while  $G_x$  is on and so lead to minor loss of detail in the image

The process of phase encoding requires multiple ( $N_y$ ) repetitions to complete. While the  $G_y$  pulse itself is short, it is repeated at time intervals equal to TR

The time period relevant for phase encoding, therefore, is TR. A typical value for TR is 500 ms, corresponding to a frequency of 2 Hz. Many structures in the body, for example the heart, execute periodic motion with period comparable to TR

Periodic-motion artefacts, therefore, occur in the phase-encoding direction

## Periodic motion artefact

The phase,  $\Phi$ , used for spacial encoding in the phase-encoding direction is given by:

$$\Phi(G_y, y, \tau_{pe}) = (\gamma G_y y) \tau_{pe}$$

If the position,  $y$  of a feature undergoes periodic motion, then:

$$y \rightarrow y' = y + d_0 \sin \omega_{pma} t$$

And so the phase that enters the phase-encoding equation becomes a function of the “periodic motion artefact” frequency  $\omega_{pma}$ :

$$\Phi(G_y, y, \tau_{pe}) \rightarrow \Phi'(G_y, y, \tau_{pe}, \omega_{pma}) = (\gamma G_y y') \tau_{pe} = 2\pi k_y y' = 2\pi k_y (y + d_0 \sin \omega_{pma} t)$$

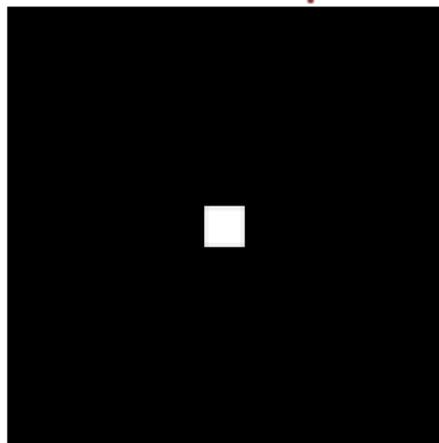
Addition of phase, leads to displacement in  $k$  space

## Periodic motion artefact

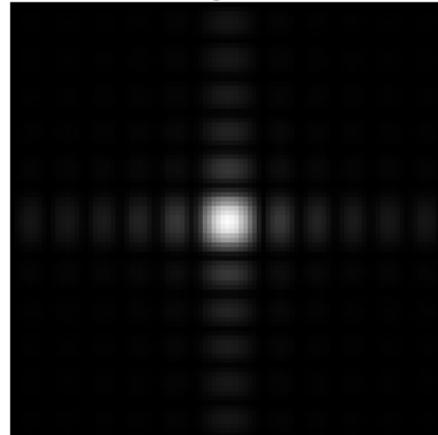
In considering the impact of the additional phase added by periodic motion, we must remember that coordinate space is represented across the  $k$  space

Consider again the square at the centre of coordinate space

Coordinate space



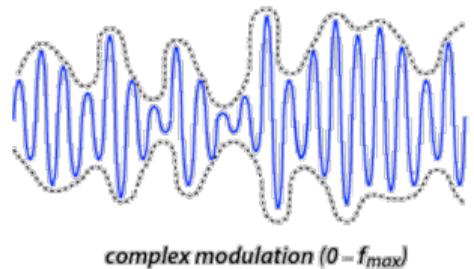
$k$  space



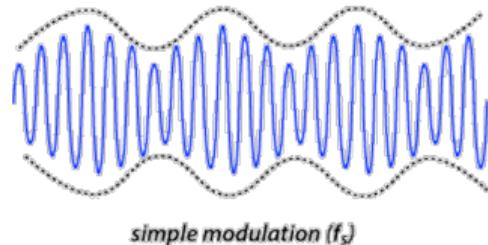
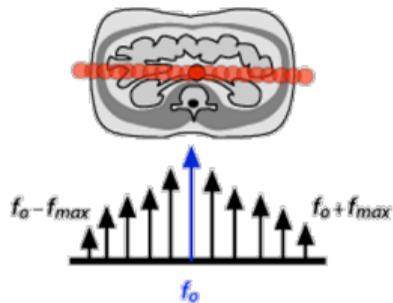
The result of the additional phase is to shift the whole pattern in  $k$  space

## Periodic motion artefact

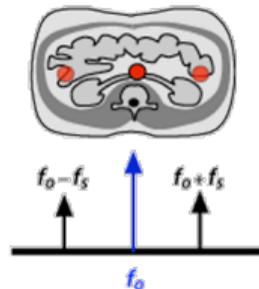
For a complete treatment, we need to look at the impact of  $\Phi'$  on the encoding equation ...  
 Instead, let's consider the modulation of the phase-encoding pattern that results from the periodic motion



FT



FT



The amplitude of the periodic shift in the  $y$  direction generated by the periodic motion is given by:

$$\delta y = \frac{TR}{\tau_{pma}} [y_{max} - y_{min}]$$

## Periodic motion: breathing and heart beat

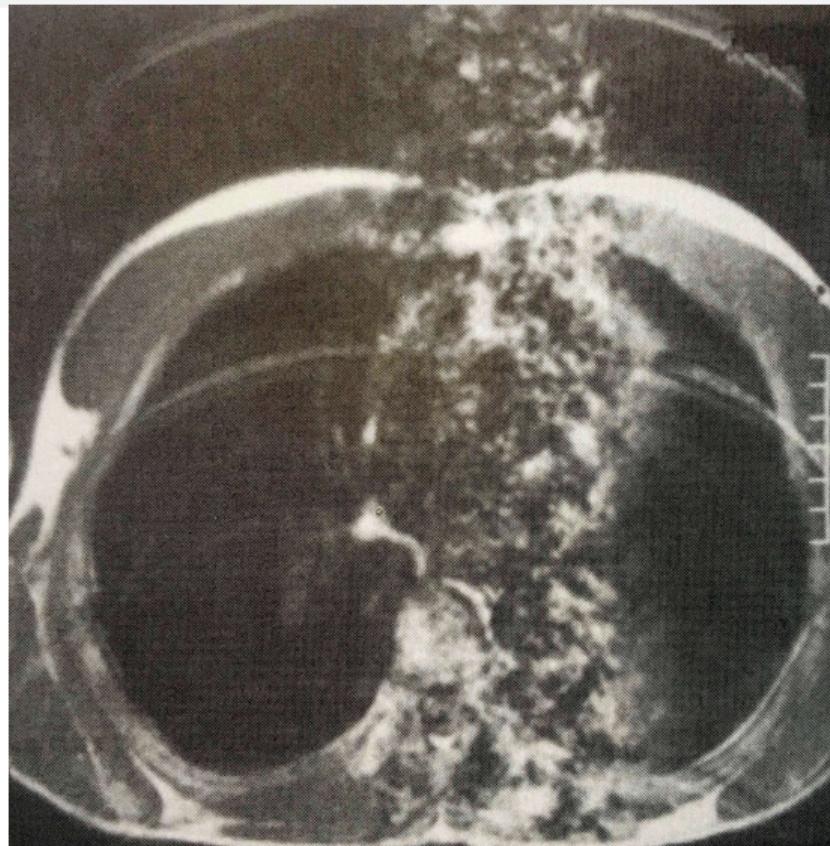


Image of chest showing ghosting arising from breathing and heart beat

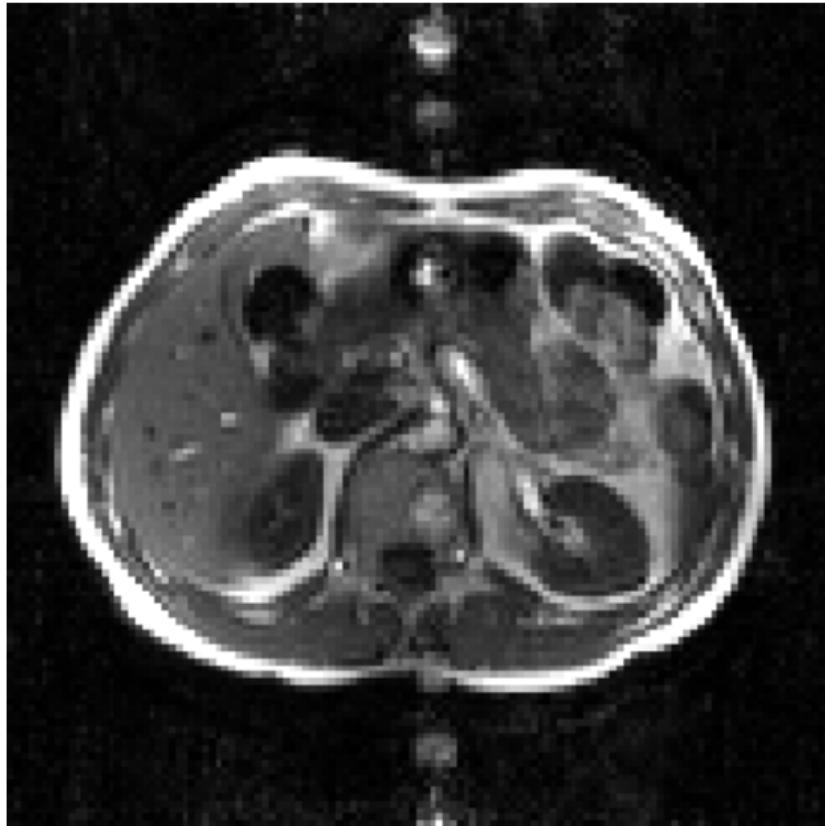
Respiratory motion causes a number of distinct images of the chest wall

Cardiac motion, more complex and multi-faceted, results in the column of overlapping images to the right of centre

In general, the more rapid the motion, the more widely spread will be the ghosts:

$$\delta y \propto \frac{1}{\tau p m a}$$

## Periodic motion: problem



The periodic motion artefact in the image facing is caused by the periodic motion of a small region of the scan plane. The imaging parameters that were used were  $TE = 40$  ms and  $TR = 100$  ms.

- 1 Estimate the period of the movement from the separation of the ghosts (assume that the field of view is 40 cm).
- 2 What structure in the body might give rise to this repeating feature?
- 3 Identify the position of the primary source of the artefact in the image.

Answer will be given in the answers to the second problem sheet.

# Summary of section 1

Periodic motion artefacts occur in the phase-encoding direction

Complex or rapid motion leads to complex modulation of the phase-encoding pattern; simple or slow motion leads to simple modulation of the phase-encoding pattern

Periodic motion artefacts can manifest as ghost images displaced in the phase-encoding direction (e.g. breathing) or complex patterns (e.g. heart motion)

## Section 2

# MRI artefacts: chemical shift

## Origin of the chemical shift artefact

The chemical shift artefact occurs when the chemical environment causes the precessional frequency for  $^1\text{H}$  nuclei in different molecules to differ

The artefact can arise at tissue boundaries or can be due to a particular tissue being composed of a variety of molecules each of which contribute significantly to the signal

Consider for example, the precessional rates of  $^1\text{H}$  in water and in fat in a magnetic field of 1.5 T:

- The gyromagnetic ratio for  $^1\text{H}$  in water differs from that in fat by 3.5 ppm
- For water, at 1.5 T, the Larmor frequency is given by  $\nu_w = \gamma B_0 = 42.6 \times 1.5 = 64 \text{ MHz}$
- 3.5 ppm of  $\nu$  implies a “chemical shift” in the Larmor frequency of fat of  $3.5 \times 10^{-6} \times 64 \times 10^6 = 220 \text{ Hz}$
- $\nu_{\text{fat}}$  is larger than  $\nu_w$  by 220 Hz at 1.5 T

## Magnitude of the chemical-shift artefact

Consider an image that has  $N_x = 256$  pixels in the  $x$  direction and for which the sampling time over which the frequency-encoding pulse  $G_x$  is on is 8 ms

Under these conditions, the bandwidth, BW, corresponding to the full  $x$ -coordinate range is:

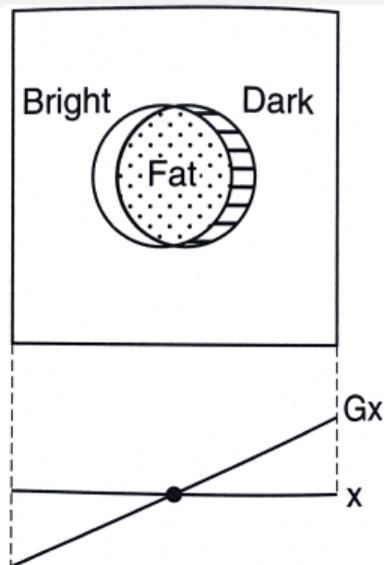
$$BW = \frac{N_x}{T_S} = \frac{256}{8 \times 10^{-3}} = 32 \text{ kHz}$$

This means that the frequency step per pixel,  $\Delta f$  is given by:

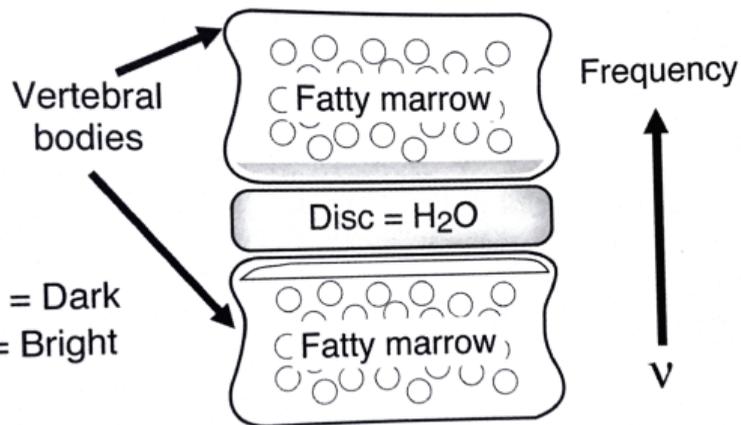
$$\Delta f = \frac{BW}{N_x} = \frac{32 \times 10^3}{256} = 125 \text{ Hz}$$

We see that  $\Delta f$  is smaller than the chemical shift between the Larmor frequency for fat and water at 1.5 T

# Chemical shift example 1: vertebrae



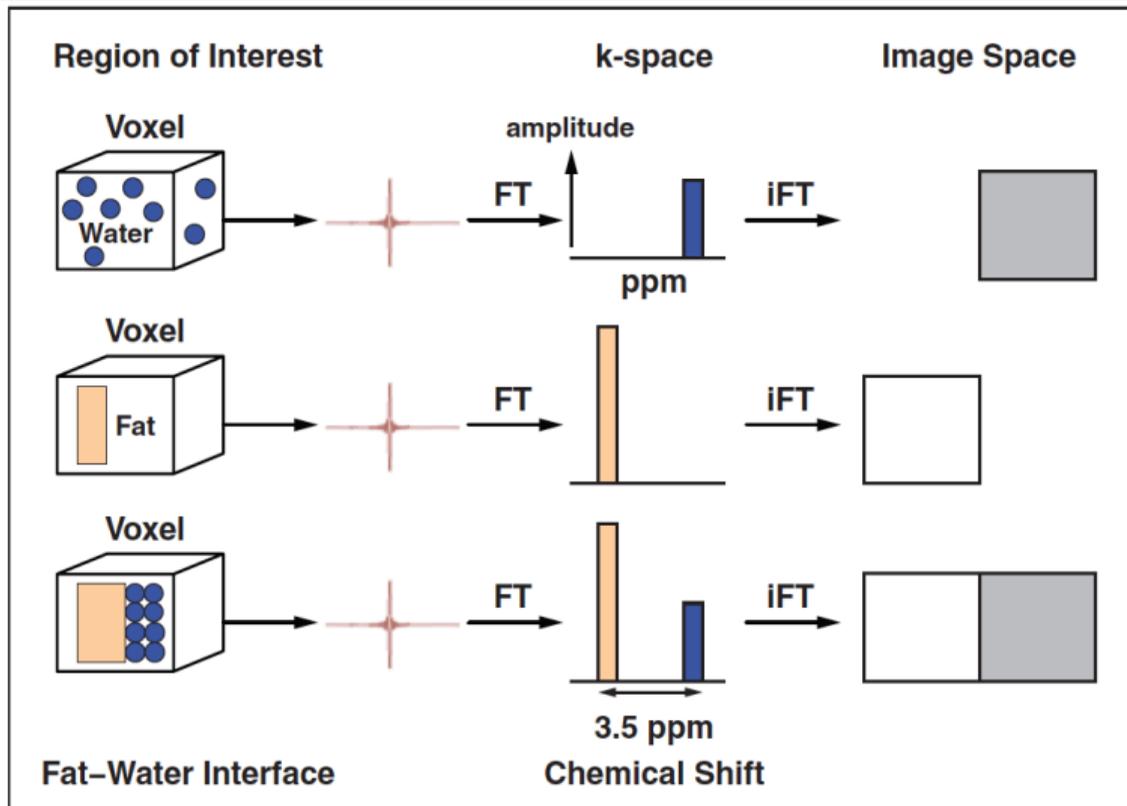
Circle of fat in water volume. Chemical shift causes fat contribution to be displaced towards lower  $x$ . Result: a bright band on one side of the fat body (signals from the water and fat overlap), dark band on the other side



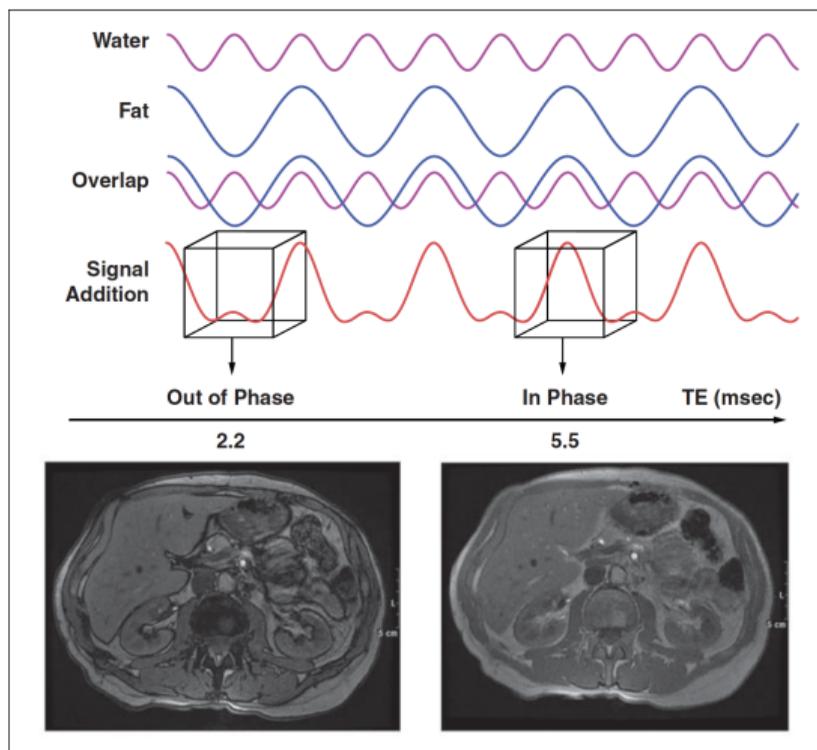
Dark band observed at bottom of “upper” fatty marrow

Bright band observed at top of “bottom” fatty marrow

## Chemical shift example 2: voxel sharing water and fat



## Chemical shift example 2: voxel sharing water and fat



Signal from fat and water is out of phase when  $TE = 2.236$  ms. Signals from fat and water in single voxel therefore interfere destructively. Result is a dark band surrounding fat-water interfaces

At  $TE = 5.516$  ms, signals are back in phase and constructive interference occurs restoring normal contrast

## Summary of section 2

Chemical shift artefact occurs when chemical environment causes Larmor frequency to differ

Impact is on voxels that share the two different types of tissue. Addition of signals from different tissue types within voxel can modulate signal strength